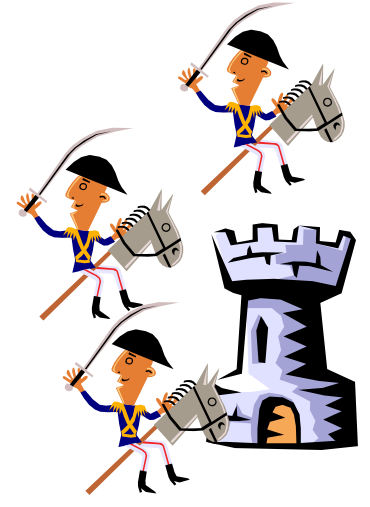
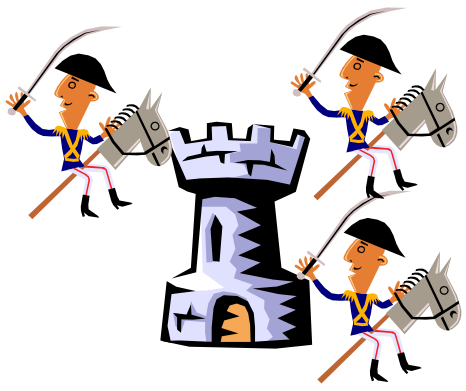
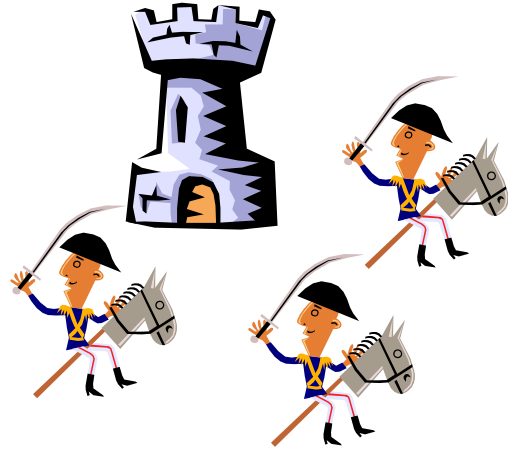


# Intro To The Byzantine **Generals Problem**

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Pease



# Byzantine Generals Problem



# BGP – the Generals

- Loyal Generals
  - Behave according to the algorithm
    - **They decide upon the same plan**
      - Every loyal general must obtain the same  $v(1)\dots v(n)$
    - **A small number of traitors shouldn't be able to force a bad decision**
      - If the  $i^{\text{th}}$  general is loyal  $\Rightarrow v(i)$  must be used by all (loyal) generals
- Traitorous Generals
  - Try to influence the final decision
  - Send any info they want



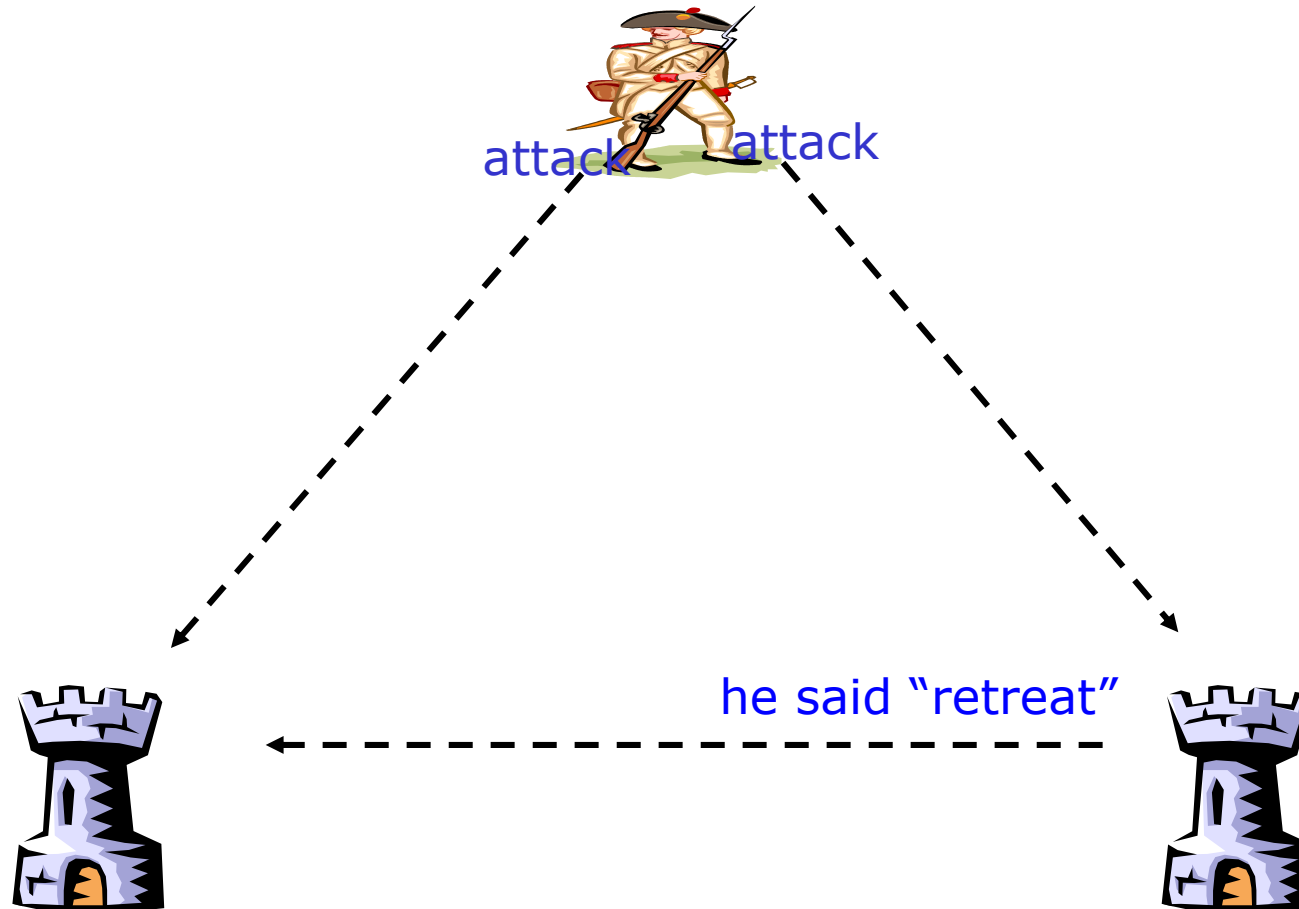
# Byzantine Generals Problem (formalism)

- 0 .. N-1 processes in a complete graph
- Process 0 needs to send a value  $v$  to all others such that
  - (IC1) If process 0 is non faulty then any non faulty process  $i$  receives  $v$
  - (IC2) If processes  $i$  and  $j$  are non faulty, they receive the same value
- Note: 0 is non faulty, then  $IC1 \Rightarrow IC2$

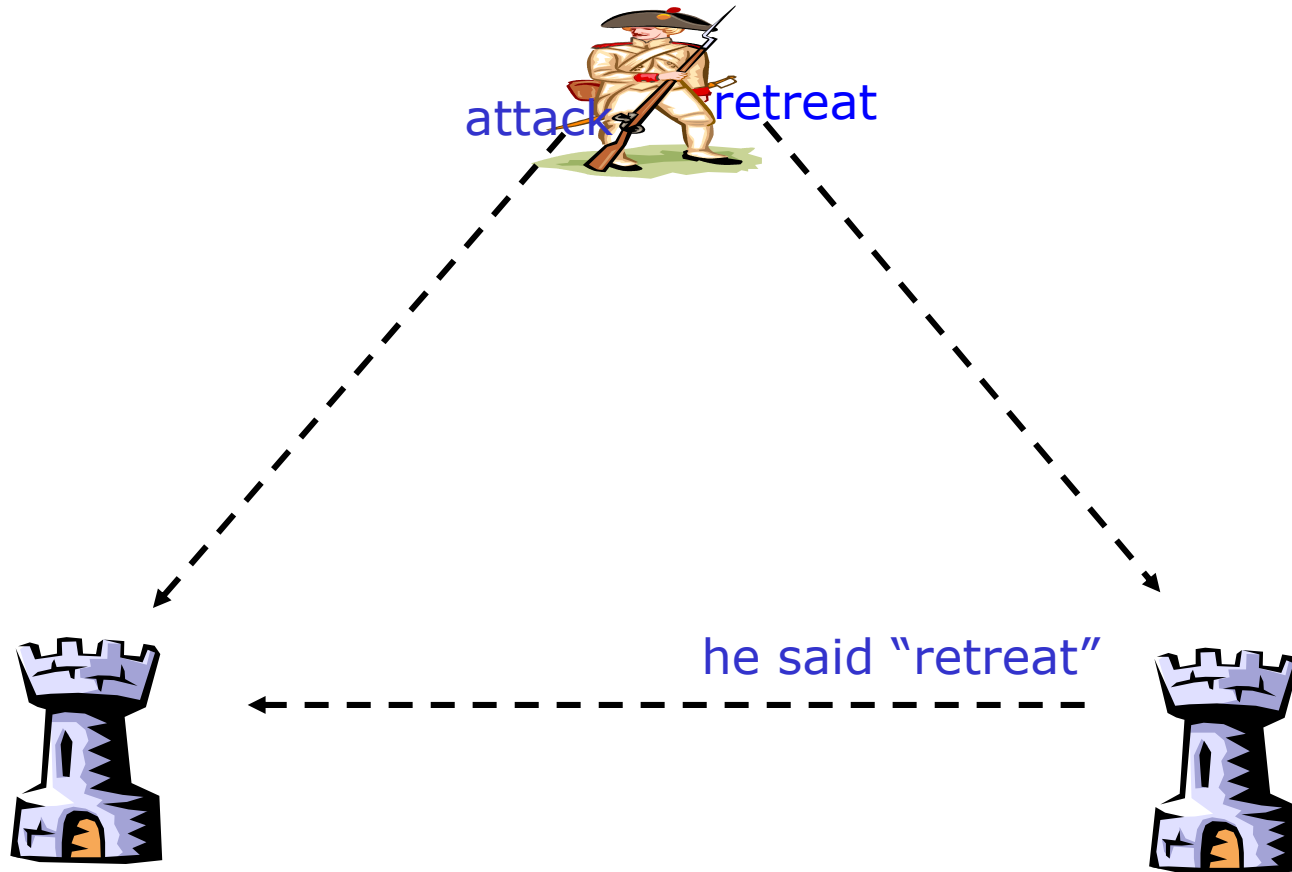
# Impossibility Results – Oral Msg

- Oral message – the content is entirely under the control of the sender
- No solution if more than  $1/3$  of the generals are traitorous

# Traitorous Lieutenant



# Traitorous General



# Impossibility Results – Generalization

- No solution with fewer than  **$3m+1$**  generals for  **$m$**  traitors
- Proof by contradiction: reduce the problem to the 3 generals problem
  - Assume  **$3m$**  (let's call them Albanians) or fewer generals can cope with  $m$  traitors
  - Build the solution with Byzantine generals